# DESIGN UPPER STRUCTURE OF THE RIVER BAKI BRIDGE USES A STEEL FRAME 

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#### Abstract

In general, the bridge type is a reinforced concrete bridge, composite and steel frame. The Baki River Bridge was originally a 40 m long Wood type bridge connecting the village of Mengkopot Tanjung Pisang because the condition of the Baki river bridge has been damaged especially on bridge floors and girders due to age, so it is planned to re-use the steel frame bridge structure. By using the steel bridge structure, it is expected that later it can be a comparison for the future bridge planning.

In this study, the structure of the planned bridge consists of bridge slabs, sidewalk slabs, backrest pipes, longitudinal and transverse girders, steel frames, wind ties, and joints. By following the SNI T-022005 bridge loading standard, SNI T-03-2005 for planning steel bridge structures and SNI T-12-2004 for planning concrete structures on bridges.

From the planning results obtained thickness 200 mm Bridge Slab and thick sidewalk slab 250 mm with a longitudinal girder profile used WF 600.200 .11 .17 mm steel with a distance between girders 1.75 m . Transverse girders of steel profiles WF 700,300.13.24 are used with the distance between girders 5 m . Used Steel profiles WF 400,400.13.21 as Main Frame and Steel WF profile 150.150.7.10 as profiles for wind ties.


‘Keywords: Steel frame, girder, connection,

## 1. Introduction

Bridges are one of the infrastructures needed for the sustainability of economic and social activities of an area or region. Economic and social activities can work well if the existing infrastructure conditions are also in good condition. So infrastructure conditions affect the quality of economic and social activities.

In essence, the condition of the bridge will certainly experience a decrease in strength, this is due to various factors such as lack of maintenance, the passing of the age limit of the plan, the burden that occurs exceeds the burden of the plan and many other factors. The same thing happened to the bridge that contacted the village of Mengkopot - Tanjung Pisang. This bridge with a span of 40 meters and a width of 5 meters is the main access (axis road) that connects between villages, sub-districts and even districts (Bengkalis - Meranti). This is feared to hamper activities and threaten the safety of the people passing on it. The condition of the bridge is currently damaged with decayed and perforated wood material. This is certainly very dangerous for the bridge user because it will cause accidents caused by the collapse of the bridge. Therefore it is necessary to take measures to restore the condition of the bridge so that it can serve its users well before the damage is made worse or may not be used again. So to overcome this, it is done on the bridge so that the condition of the bridge is as ideal as before.

The purpose of this study was to determine the dimensions of the Main Fence, Transverse Fence and Elongated Fence that are able to withstand the load acting on the bridge.

## 2. Basic Theory

### 2.1 The spread of load ' $D$ ' in the transverse direction of the bridge

The "D" load must be arranged in a transverse direction such that it creates a maximum moment. Preparation BTR and BGT components of the cross-direction load must be the same.

## a. Load factor ' $D$ "

Load factor "D" with a period of transient (temporary) can be seen in the following table. Load factor due to "D" lane load

Table 1. Load factors due to "D" lane loads

| Jangka Waktu Faktor Beban  <br>  $\mathrm{K}_{\mathrm{S} ; \mathrm{TD} ;}$ $\mathrm{K}_{\mathrm{U} ; \mathrm{TD} ;}$ <br> Transien 1,0 1,8 |
| :--- |

## b. "T" Truck Loading

The loading of the " T " truck consists of semi-trailer truck vehicles which have the structure and weight as shown in Figure 3 below. The weight of each axle is spread to 2 equal equal loads which are the contact area between the wheel and the floor surface. The distance between the 2 axes can be changed between 4.0 m to 9.0 m to get the greatest influence on the direction of the bridge extending.

### 2.2 Position and spread of loading the truck " T " in the transverse direction of the bridge

Regardless of the length of the bridge or span arrangement, there is only one " T " truck that can be placed in a single lane of planned traffic. This " T " truck vehicle must be placed in the middle of the planned traffic lane as shown in the picture


Figure 1. Truck Load on the bridge (source: SNI T-02-2005)

For loading trucks "T" taken 30\%
Table 2. Load factors for truck loads

| Jangka Waktu | Faktor Beban |  |
| :---: | :---: | :---: |
|  | $\mathrm{K}_{\mathrm{S} ; \mathrm{TT} ;}$ | $\mathrm{K}_{\mathrm{U} ; \mathrm{TT} ;}$ |
| Transien | 1,0 | 1,8 |

(Source: SNI T-02-2005 article 6.4.1)
FBD prices calculated are used in all parts of the lower building and the foundation is below the surface line, the FBD price must be taken as a linear circulation from the price on the land surface line to zero at a depth of 2 meters. For buried buildings, such as culverts and steel
soil structures, FBD prices should not be taken less than $40 \%$ for zero depths and not less than $10 \%$ for a depth of 2 m . for the selected depth must be applied to the entire building.


Figure 2. Load "D": BTR vs. length which is burdened (Source: SNI T-02-2005)

## - Brake Style

The operation of the forces directed at extending the bridge, due to brake force and traction, must be reviewed for both traffic directions. This influence is calculated as the braking force of $5 \%$ of the traffic department. This influence is calculated as the braking force of $5 \%$ of the "D" line load which is considered to be in all traffic lanes without multiplying by dynamic load factor and in one direction. The brake force is considered to work horizontally in the direction of the bridge axis with a 1.8 m high capture point above the floor surface of the vehicle. Lane load "D" here should not be reduced if the span length exceeds 30 m , the formula "D" $\mathbf{q}=\mathbf{9} \mathbf{~ k P a}$ is used.

## 3. Methodology

The steps in completing this research can be seen in Figure 3.


Figure 3. Flow Chart
(Source: Planning Data)

## 4. Results and Discussion

Construction Data of Sungai Baki bridge
a. The total length of the bridge $=40 \mathrm{~m}$
b. The total width of the bridge $=9 \mathrm{~m}$
c. Vehicle floor width $=7 \mathrm{~m}(2 \times 3.5 \mathrm{~m})$
d. Sidewalk width $=2 \times 1 \mathrm{~m}$
e. Bridge Type $=$ Steel Frame $($ Waren Truss Type)
f. Bridge frame height $=6.37$ meters
g. The distance between girders transversely $=5$ m
h. Concrete density $=2.5 \mathrm{t} / \mathrm{m}^{3}$
i. Asphalt density $=2.2 \mathrm{t} / \mathrm{m}^{3}$
j. Specific gravity of water $=0.98 \mathrm{t} / \mathrm{m}^{3}$
k. Concrete floor thickness $=20 \mathrm{~cm}$

1. Asphalt thickness $=10 \mathrm{~cm}$

### 4.1 Planning Backrest Pipes

## Workload:

Backrest for pedestrians must be planned for the imposition of service plan, ie $q=w=0.75 \mathrm{kN} /$ m , with a height of 90 cm from the sidewalk surface.
Total Moment $=1192639.2 \mathrm{Nmm}$
$\mathrm{Zx} \quad=15971,637 \mathrm{~mm} 2$
$\mathrm{Mn} \quad=\mathrm{Zx} . \mathrm{Fy}=3833192.85 \mathrm{Nmm}$
ØMn $\quad=0.9 \times \mathrm{Mn}=3449873,57 \mathrm{Nmm}$
M Total <ØMn ... OK
So the profile used for the backrest is 2
(two) pipe profiles $\varnothing 60.5 \mathrm{~mm}$ with a thickness of 3.2 mm .


Figure 4. Dimension of Backrest Pipe (Source: Planning Data)
a. Calculation of sidewalks Moment calculation
Workload:
Moments due to weight alone
MMS $\quad=5,625 \mathrm{kNm}$
Moments due to the burden of pedestrian life
MTP $\quad=3.025 \mathrm{kNm}$
Moments due to additional life load
MMA $\quad=0.147 \mathrm{kNm}$
Ultimate Moment
$\mathrm{Mu}=13,657 \mathrm{kNm}$

## Reinforcement

a. Concrete Quality fc ' $=25 \mathrm{MPa}$
b. Steel Quality fy $=320 \mathrm{MPa}$
c. Thickness of concrete slab $\mathrm{h}=200 \mathrm{~mm}$
d. The distance of reinforcement to the outer side of concrete $d$ ' $=30 \mathrm{~mm}$
e. Steel elastic modulus $=200000 \mathrm{MPa}$
f. Your ultimate plan moment $=13,656$ kNm
g. The nominal moment of plan $\mathrm{Mn}=\mathrm{Mu}$ / $\phi=17.07 \mathrm{kNm}$
h . The diameter of reinforcement used is D - 16 mm
i. The required reinforcement distance, $\mathrm{s}=$ $\pi / 4 \times \mathrm{D} 2 \times \mathrm{b} / \mathrm{As}=593.4 \mathrm{~mm} 2$
j. Used reinforcement D 16-400
k. $\mathrm{As}^{\prime}=\pi / 4 \times \mathrm{D} 2 \times \mathrm{b} / \mathrm{s}=502.6 \mathrm{~mm} 2$

1. Longitudinal reinforcement is taken $50 \%$ of the main reinforcement
$\mathrm{m} . \mathrm{As}^{\prime}=50 \% \mathrm{x}$ As $=251.3 \mathrm{~mm} 2$
n. The diameter of reinforcement used is $D$ $-13 \mathrm{~mm}$
o. The required reinforcement distance, $\mathrm{s}=$ $\pi / 4 \times \mathrm{D} 2 \times \mathrm{b} / \mathrm{As}=528.12 \mathrm{~mm}$
p. Used reinforcement D 13-400
q. $\mathrm{As}^{\prime}=\pi / 4 \times \mathrm{D} 2 \times \mathrm{b} / \mathrm{s}=331.8 \mathrm{~mm} 2$


Figure 5. Reinforcement of Sidewalk Slabs (Source: Planning Data)

## b. Calculation of vehicle floor slabs Moment Calculation

Workload:
The maximum moment in the slab is calculated based on the one way method with the following load:
QMS $=5 \mathrm{kN} / \mathrm{m}$
QMA $=2,494 \mathrm{kN} / \mathrm{m}$
PTT $=146.25 \mathrm{kN}$
PEW $=1.008 \mathrm{kN}$
$\Delta \mathrm{T}=12.5^{\circ} \mathrm{C}$
$\mathrm{K} \quad=$ moemen coefficient
$\mathrm{S}=1.75 \mathrm{~m}$
For evenly distributed loads (Q) M $=\mathrm{k}$. Q. $\mathrm{s}^{2}$
For centralized loads (P) M = k. p
For temperature loads $(\Delta T)=k T$. Ec. $s^{3}$

## Moments Due to Self Weight MS

Moment of support, MMS $=0.0833$. QMS. $\mathrm{s}^{2}$ $=1,275 \mathrm{kNm}$
Field moment, $\mathrm{MMS}=0.0417 . \mathrm{QMS} . \mathrm{s}^{2}=$ 0.638 kNm

Moments due to additional MA dead load
Moment of support, MMS $=0.1041$. QMA . $\mathrm{s}^{2}$ $=0.795 \mathrm{kNm}$
Field moment, $\mathrm{MMS}=0.0540 . \mathrm{QMA} . \mathrm{s}^{2}=$ 0.412 kNm

## Moments due to TT truck loads

Moment of support, $\mathrm{MMS}=0.1562$. PTT $\mathrm{s}=$ 39,97 kNm
Field moment, $\mathrm{MMS}=0.1407$. PTT. $\mathrm{s}=36.01$ kNm

## Moments due to EW wind load

Moment of support, $\mathrm{MMS}=0.1562$. PEW. $\mathrm{s}=$ 0.275 kNm

Field moment, MMS $=0.1407$. PEW. $\mathrm{s}=$ 0.248 kNm

## Moment due to ET temperature

Moment of support, MMS = 5.62.10-7. $\alpha$. . Ec. $\mathrm{s} 3=0.008 \mathrm{kNm}$
Moment of the field, MMS $=2.8 \cdot 10-6 . \alpha$. Ec. $\mathrm{s}^{3}=0.044$

Table 3. Moments on Slab

(Source: Data Processing)

## Bridge Floor Slab Reinforcement

The reinforcement of the bridge floor plate is based on the result of combination 1
Table 4. Combination-1

(Source: Data Processing)

## Negative bending reinforcement

The steps to calculate the negative bending in the slab are described as follows;
a. Moment of a plan of support $\mathrm{Mu}=83.48$ kNm
b. Concrete quality: $\mathrm{fc}=25 \mathrm{Mpa}$
c. Steel quality: BJ U39, fy $=390 \mathrm{Mpa}$
d. Thick concrete slab, $\mathrm{h}=200 \mathrm{~mm}$
e. The distance of reinforcement to the outer side of the concrete $d$ ' $=40 \mathrm{~mm}$
f. Modulus of elasticity of steel, $E s=200000$ Mpa
g. the form factor of the stress distribution of concrete $\beta 1=0.85$
h. Moment of a plan of support
i. $\quad \mathrm{Mu}=83.48 \mathrm{kNm}$
j. The nominal moment of plan $\mathrm{Mn}=\mathrm{Mu} / \varphi$ $=104.35 \mathrm{kN} / \mathrm{m}$
k. The diameter of reinforcement used $=$ D 16

1. The required reinforcement distance $\mathrm{s}=$ 107.3 mm
m. Used D16-100 reinforcement
n. As $=2010,619 \mathrm{~mm} 2$
o. Reinforcement / shrinkage is taken $50 \%$ of the main reinforcement
p. $\mathrm{As}^{`}=50 \% . \mathrm{As}=1005,309 \mathrm{~mm} 2$
q. The diameter of reinforcement used D 13
r. The required reinforcement distance $\mathrm{s}=$ $132,03 \mathrm{~mm}$
s. Used reinforcement D13-100 As' = 1327.32 mm 2

## Positive Bending Reinforcement

The steps for calculating positive bending in the slab are described as follows:
a. Moment of your support plan $=73.96 \mathrm{kNm}$
b. Concrete quality: $\mathrm{fc}=25 \mathrm{Mpa}$
c. Steel quality: BJ U39, fy $=390 \mathrm{Mpa}$
d. Thick concrete slab, $\mathrm{h}=200 \mathrm{~mm}$
e. The distance of reinforcement to the outer side of the concrete $d '=40 \mathrm{~mm}$
f. Steel elasticity modulus, $\mathrm{Es}=200000 \mathrm{MPa}$
g. Moment of your support plan $=73.96 \mathrm{kNm}$
h. The nominal moment of plan $\mathrm{Mn}=\mathrm{Mu} / \varphi$ $=92.46 \mathrm{kN} / \mathrm{m}$
i. The diameter of reinforcement used D 16
j. The required reinforcement distance $\mathrm{s}=$ 122.96 mm
k. Used D16-100 reinforcement $\mathrm{As}=2010,61$ $\mathrm{mm}^{2}$

1. Reinforcement for / shrinkage is taken $50 \%$ of the main reinforcement $\mathrm{As}^{`}=50 \%$. As $=$ $1005.30 \mathrm{~mm}^{2}$
m . The diameter of reinforcement used D13
n . The required reinforcement distance $\mathrm{s}=$ 132.03 mm
o. D13-100 reinforcement is used $\mathrm{As}=$ $1327.32 \mathrm{~mm}^{2}$

D 16-100 D 13-100


Figure 6. Reinforcement of vehicle slabs (Source: Planning Data)

## Slab Deflection Control

a. Concrete quality: $\mathrm{fc}=25 \mathrm{MPa}$
b. The quality of BJ U39 steel, fy $=390 \mathrm{MPa}$
c. Steel elasticity modulus, $\mathrm{Es}=200,000 \mathrm{MPa}$
d. Modulus of elasticity of concrete $\mathrm{Ec}=$ 0.043 . $=23500 \mathrm{Mpa}$
e. Thick concrete slab, $\mathrm{h}=200 \mathrm{~mm}$
f. The distance of reinforcement to the outer side of the concrete $d$ ' $=40 \mathrm{~mm}$
g. The area of slab reinforcement $\mathrm{As}=$ 2010,619 mm²
h. Slab span length, $\mathrm{Lx}=1750 \mathrm{~mm}$
i. Wide slab review, $b=1000 \mathrm{~mm}$
j. Centralized Load, PTT $=146.25 \mathrm{kN}$
k. Equivalent Load, $\mathrm{Q}=\mathrm{QMS}+\mathrm{QMA}=$ 7,494 kN / m

1. The total deflection that occurs $\delta$ tot $<\mathrm{Lx} /$ $240=7.291 \mathrm{~mm}$
m . Gross inertia of slab cross section (Ig) $=$ $1 / 12$. b. $\mathrm{h}^{3}=7 \times 108 \mathrm{~mm}^{3}$
n. Modular flexural failure modulus $\mathrm{fr}=0.7 .=$ 3.5 MPa
o. Comparison value of elasticity modulus $\mathrm{n}=$ $\mathrm{Es} / \mathrm{Ec}=8.5$
p. $\mathrm{n} . \mathrm{As}=17111.65 \mathrm{~mm} 2$
q. neutral line distance to the upper side of the concrete
r. $\quad c=n$. As $/ b=17.11 \mathrm{~mm}$
s. crack section inertia transformed : Icr $=1 / 3$. b. $\mathrm{c} 3+$ As. $(\mathrm{d}-\mathrm{c}) 2=3.51 \times 108$ mm4
t. $\quad \mathrm{Yt}=\mathrm{h} / 2=100 \mathrm{~mm}$
u. Moment of cracking Mcr $=\mathrm{fr}$. Ig $/ \mathrm{yt}=$ 2,33×107 mm4
v. Maximum moment due to load (without load factor)
$\mathrm{Ma}=1 / 8 . \mathrm{Q} . \mathrm{Lx} 2+1 / 4 . \mathrm{P} . \mathrm{Lx}=66.85 \mathrm{kNm}$ $\mathrm{Ma}=6.69 \times 107 \mathrm{Nmm}$
w. Inertia is effective for calculating deflection $\mathrm{Ie}=(\mathrm{Mcr} / \mathrm{Ma}) 3 . \mathrm{Ig}+(1-\mathrm{Mcr} / \mathrm{Ma}) 3) . \mathrm{Icr}$ $=3.64 \times 108 \mathrm{~mm} 4$
x. Instant elastic deflection due to dead load and live load:
$\mathrm{Q}=7,494 \mathrm{~N} / \mathrm{m}$
$\mathrm{P}=146250 \mathrm{~N}$
$\mathrm{e}=2.013 \mathrm{~mm}$
y. Ratio of bridge floor slab reinforcement
z. $\quad \rho=$ As $/ b . d=0,0125$
aa. Time dependency factor for dead load (period $>5$ years), value $\xi=2.0$
bb. Long-term deflection due to creep and shrinkage:
$\delta g=0.131$
cc. The total deflection on the bridge floor plate: Lx $/ 240=7,291$
ottot $<\delta \mathrm{e}+\delta \mathrm{g}=2.144$ $2,144<7,291 \ldots$...OK

## c. Calculation of the Fence Stringger



Figure 7. Distance of Stringger and Girders (Source: Planning Data)

The distance between Stringger $=1.75 \mathrm{~m}$
The distance between girder $=5 \mathrm{~m}$
Steel elasticity modulus $(\mathrm{E}) \quad=200000 \mathrm{MPa}$
Melting stress (fy)
Ultimit voltage (fu)
$=410 \mathrm{MPa}$
$=550 \mathrm{MPa}$
Table 5. Profile Data WF.600.200.11.17

| G | $106 \mathrm{~kg} / \mathrm{m}$ | Zx | $2590 \mathrm{~cm}^{3}$ |
| :---: | :---: | :---: | :---: |
| Ix | $77600 \mathrm{~cm}^{4}$ | Zy | $228 \mathrm{~cm}^{3}$ |
| Iy | $2280 \mathrm{~cm}^{4}$ | H | 600 mm |
| A | $134,4 \mathrm{~cm} 2$ | t f | 17 mm |
| Ix | $24,03 \mathrm{~cm}$ | B | 200 mm |
| Iy | 4.12 cm | t w | 11 mm |

(Source: PT. Gunung Garuda)


Figure 8. Profile of WF 600.200.11.17
(Source: Planning Data)

Workload:
a. Life Expenses Due to the "D" load (load factor $=1.8$ )
b. The load is evenly distributed (BTR)
c. $L=40 \mathrm{~m}>30 \mathrm{~m}$
d. $\mathrm{q}=9.0 \mathrm{x}(0.5+)=9.0 \mathrm{x}=7.875 \mathrm{Kpa}=$ $787.5 \mathrm{~kg} / \mathrm{m}^{2}$
e. The distance between the girders extends 1.75 m .
f. $\mathrm{qL}=787.5 \times 1.75 \times 1.8=2480.625 \mathrm{~kg} / \mathrm{m}$ $=24.81 \mathrm{kN} / \mathrm{m}$

## Line Load

$\mathrm{P}=49.0 \mathrm{KN} / \mathrm{m}=4900 \mathrm{~kg} / \mathrm{m}$
$\mathrm{L}=40 \mathrm{~m}$ then $\mathrm{FBD}=40 \%$
$\mathrm{P}^{\prime}=4900 \times 1.75 \times(1+40 \%) \times 1.8=21609 \mathrm{~kg}$


Figure 9. Loading due to BTR and Line Loads

$$
\begin{aligned}
\mathrm{ML}_{1} & =\left(\frac{1}{8} q_{L} \cdot L^{2}\right)+\left(\frac{1}{4} P_{1} \cdot L\right) \\
& =\left(\frac{1}{8} \times 2480,625 \times 5^{2}\right)+\left(\frac{1}{4} 21609\right) \\
& =34763,2 \mathrm{~kg} \cdot \mathrm{~m}
\end{aligned}
$$

Moments due to truck load "T"
According to SNI T-02-2005, it is known:
$\mathrm{T} \quad=112.5 \mathrm{kN} / \mathrm{m}$


Figure 10. Loading due to truck load (Source: Planning Data)
$\mathrm{ML}_{2}$

$$
\begin{aligned}
& =1 / 2 \times \text { PTT } \times \mathrm{L} \times \mathrm{K}_{\mathrm{UTT}} \\
& =146,25 \times 5 \times 1,8 \\
& =658,13 \mathrm{kN} \cdot \mathrm{~m}=65813 \mathrm{~kg} . \mathrm{m}
\end{aligned}
$$

Because ML1 < ML2, the moment is used due to the "T" Truck load that is ML2 $=65813 \mathrm{~kg} . \mathrm{m}$

## Girder

For the initial cross-beam planning, the WF profile is selected with the profile dimensions of WF. 700.300. 13.24
(Source: PT. Gunung Garuda)


Figure 11. Steel profile 700,300.13.24 (Source: Planning Data)

Workload:

## Dead load

Asphalt layer weight $\quad=2200 \mathrm{Kg} / \mathrm{m}$
Curb weight:
Own weight of concrete plate $=4063 \mathrm{Kg} \mathrm{m}$
Steel deck weight $\quad=65.33 \mathrm{Kg} / \mathrm{m}$
Sidewalk $\quad=4128 \mathrm{~kg} / \mathrm{m}$
Qd $\quad=6327.82 \mathrm{Kg} / \mathrm{m}$
$\Sigma \mathrm{MB}=0$
$\mathrm{Ra} \quad=11827.82 \mathrm{~kg}$
$\mathrm{MD}=(11827.82 \times 4.5)-(4128 \times 1 \times 4)-$ $(2200 \times 1.75 \times 3.5)=23239 \mathrm{~kg} . \mathrm{m}$

Due to "D' Load
Flat Divided Load (BTR)
$\mathrm{L}=40 \mathrm{~m}>30 \mathrm{~m}$
$\mathrm{q}=9,0 \times\left(0,5+\frac{15}{\mathrm{~L}}\right)=9,0 \times\left(0,5+\frac{15}{40}\right)=$
$7,875 \mathrm{Kpa} \quad=787,5 \mathrm{~kg} / \mathrm{m}^{2}$
Then q ${ }^{\prime} \quad=5 \times 787.5 \times 1.8=7088 \mathrm{~kg} / \mathrm{m}^{2}$
$100 \%$ Load $\rightarrow q^{\prime}=7088 \mathrm{~kg} / \mathrm{m}$
$50 \%$ load $\rightarrow \quad q \quad=3543.75 \mathrm{~kg} / \mathrm{m}$


Figure 12. Distribution due to "D" load (Source: Planning Data)

```
\(\Sigma \mathrm{MB}=0\)
\(\mathrm{Va} \quad=\frac{(q 2 x 0,75)+(q 1 x 5,5)+(q 2 x 0,75)}{2}\)
    \(=\frac{(3544 x 0,75)+(7088 \times 5,5)+(3544 \times 0,75)}{2}\)
    \(=22148 \mathrm{~kg}\)
\(\operatorname{Mmax}=(\operatorname{Vax} 4,5)-(\mathrm{q} 2 \times(2,75+0,375))-\)
    \((q 1 \times 1,375)=88594 \mathrm{~kg} . \mathrm{m}\)
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| G | $185 \mathrm{~kg} / \mathrm{m}$ | Zx | $5760 \mathrm{~cm}^{3}$ |
| :---: | :---: | :---: | :---: |
| Ix | $201000 \mathrm{~cm}^{4}$ | Zy | $722 \mathrm{~cm}^{3}$ |
| Iy | $10800 \mathrm{~cm}^{4}$ | H | 700 mm |
| A | $235,5 \mathrm{~cm} 2$ | t f | 24 mm |
| Ix | $29,3 \mathrm{~cm}$ | B | 300 mm |
| Iy | $6,78 \mathrm{~cm}$ | t w | 13 mm |

Table 6. WF.700.300.13.24 Profile Data

## Line load

$\mathrm{P}=49 \mathrm{kN} / \mathrm{m}=4900 \mathrm{~kg} / \mathrm{m}$
$\mathrm{L}=40 \mathrm{~m}$ then DLA $($ Dynamic Load Alloance $)=$ 40\%
Where the distance between girders transverses $=5.00 \mathrm{~m}$.
$\mathrm{P}^{\prime}=(1+0.4) \times 4900 \times 1.8=12348 \mathrm{~kg}$
$100 \%$ Load $\rightarrow$ P1 $'=12348 \times 5.5 \times 100 \%=$ $67914 \mathrm{~kg} / \mathrm{m}$
$50 \%$ Load $\rightarrow$ P2 '= $12348 \times 0.75 \times 50 \%=$ $4630.5 \mathrm{~kg} / \mathrm{m}$


Figure 13. Distribution due to "P" load (Source: Planning Data)
$\Sigma \mathrm{MB}=0$
$\mathrm{R}_{\mathrm{A}} .9-(67914 \times 4,5)-(4630,5 \times 1,375)=0$
$\mathrm{R}_{\mathrm{A}}=\frac{311980}{9}=34664 \mathrm{~kg}$
$\mathrm{M}_{\mathrm{L} 2}=(\operatorname{Rax} 4,5)-\left(\mathrm{P}_{1}^{\prime} \times 0\right)$
$=(34664 \mathrm{x} 4,5)-(67914 \times 0)$
$=155989,96 \mathrm{~kg} . \mathrm{m}$
The total moment due to the " D " load is:
$\mathrm{M}_{\text {Total }}=\mathrm{M}_{\mathrm{L} 1}+\mathrm{M}_{\mathrm{L} 2}=88593,8+155989,96$
$=244583,718 \mathrm{~kg} \cdot \mathrm{~m}$

## "T" Truck Load



Figure 14. Distribution of "T" Load
(Source: Planning Data)
$\Sigma \mathrm{MB}=0$
$\mathrm{V}_{\mathrm{A}} .9-(35280 \times 6,75)-(35280 \times 5)-(35280$
X
4) $-(35280 \times 2,25)=0$
$\mathrm{V}_{\mathrm{A}}=\frac{635040}{9}=70560 \mathrm{~kg}$
Maximum moment in the middle of the span:
$\operatorname{Mmax}=\mathrm{R}_{\mathrm{A}} \times 4,5-(\mathrm{P} \times 0,5)-(\mathrm{P} \times 1,25)$
$=(70560 \times 4,5)-(35280 \times 0,5)-$ $(35280 \times 1,25)=255780 \mathrm{~kg} \cdot \mathrm{~m}$
The biggest moment is used due to the load "T" of 255780 kg .m

## Main Girder <br> Load Dead plate for Stringger <br> Workload:

a. For edge Girder

Sidewalk $=0,25 \times 1 \times 25=6,25 \mathrm{kN} / \mathrm{m}$
Slab $\quad=0,2 \times((1,75 / 2)+1) \times 25$

$$
=9,375 \mathrm{kN} / \mathrm{m}
$$

Total $=6,25+9,375=15,63 \mathrm{kN} / \mathrm{m}$
So for the edge girder, the Load Dead Plate is $15.63 \mathrm{kN} / \mathrm{m}$
b. For central Gathering

Slab $\quad=0,2 \times 1,75 \times 25=8,75 \mathrm{kN} / \mathrm{m}$
So for the girder it is obtained the
Dead Load plate of $8.75 \mathrm{kN} / \mathrm{m}$


Figure 15. Input Dead Load Plate (Source: Planning Data)

## Additional Dead Load for Stringger

 Workload:a. For edge Girder

Asphalt $\quad=0,1 \times(1,75 / 2) \times 22=1,925 \mathrm{kN} / \mathrm{m}$
Rainwater $=0,03 \times((1,75 / 2)+1) \times 9,8$
$=0,551 \mathrm{kN} / \mathrm{m}$
Bondek $=0,101 \times((1,75 / 2)+1) \backslash$

$$
=0,188 \mathrm{kN} / \mathrm{m}
$$

Total $=1,925+0,551+0,188$

$$
=2,665 \mathrm{kN} / \mathrm{m}
$$

So for edge girders, the Additional
Dead Load is $2,665 \mathrm{kN} / \mathrm{m}$
b. For Central Gathering

Asphalt $\quad=0,1 \times 1,75 \times 22=3,85 \mathrm{kN} / \mathrm{m}$
Rainwater $=0,03 \times 1,75 \times 9,8=0,515 \mathrm{kN} / \mathrm{m}$
Bondek $=0,101 \times 1,75=0,176 \mathrm{kN} / \mathrm{m}$
Total $=3,85+0,515+0,176$
$=4,54 \mathrm{kN} / \mathrm{m}$
So for the center girder, the Additional Dead Load is $4.54 \mathrm{kN} / \mathrm{m}$


Figure 16. Additional Dead Load Input (Source: Planning Data)

## Life Expenses

Workload:
a. The burden is evenly distributed

$$
\begin{aligned}
\mathrm{L}=40 \mathrm{~m} \longrightarrow q & =9 x\left(0,5+\frac{15}{L}\right) \\
q & =9 \times\left(0,5+\frac{15}{40}\right) \\
& =7,875 \mathrm{kPa} \\
& =7,875 \mathrm{kN} / \mathrm{m}^{2}
\end{aligned}
$$

For edge girder

$$
\begin{aligned}
\mathrm{BTR} & =(1,75 / 2) \times 7,875 \\
& =6,891 \mathrm{kN} / \mathrm{m}
\end{aligned}
$$

So for the edge girder the BTR
is $6.891 \mathrm{kN} / \mathrm{m}$
For Central Gethering
$\mathrm{BTR}=1,75 \times 7,875=13,78 \mathrm{kN} / \mathrm{m}$
So for the girder the BTR is obtained at $13.78 \mathrm{kN} / \mathrm{m}$
a. Line Load
$\mathrm{P}=49 \mathrm{kN} / \mathrm{m}$
FBD $\quad=0,4$
Q BGT $\quad=2 \times 49 \times 2,75=269,5 \mathrm{kN}$
BGT $100 \%=1,4 \times 269,5=377,3 \mathrm{kN} / \mathrm{m}$
BGT $50 \%=50 \% \times 269,5=188,7 \mathrm{kN} / \mathrm{m}$


Figure 17. BTR input (Source: Planning Data)


Figure 18. BGT input
(Source: Planning Data)

## Load T

Workload:
$S=1,75 / 3,4=0,515$
$\mathrm{TT}_{1}=25 \times(1+30 \%)=32,5$
$\mathrm{TT}_{2}=112,25 \mathrm{x}(1+30 \%)=146,25$
a. For edge girder

$$
\begin{array}{ll}
\mathrm{TT}_{1} & =0,515 \times 32,5=16,728 \mathrm{kN} \\
\mathrm{TT}_{1} & =0,515 \times 146,25=75,276 \mathrm{kN}
\end{array}
$$

b. For Central Gethring
$\mathrm{TT}_{1} \quad=0,515 \times 32,5 \times 2=33,46 \mathrm{kN}$
$\mathrm{TT}_{1}=0,515 \times 146,25 \times 2=150,6$
kN
Wind Load
Workload:
Vihicle Height $=2 \mathrm{~m}$
Review of each $=1 \mathrm{~m}$
Ab

$$
\begin{aligned}
& =\frac{(35+40)}{2} \times 6,37 \times 30 \% \\
& =71,66 \mathrm{~m}^{2}
\end{aligned}
$$

$\mathrm{T}_{\mathrm{EW} 1}=0,0006 \times 1,2 \times 35^{2} \times 71,66=63,21 \mathrm{kN}$
a. Number of joint

$$
\begin{array}{ll}
\text { Bottom } & =9 \\
\text { Top } & =8 \\
\text { Total } & =17
\end{array}
$$

b. $\mathrm{T}_{\text {ew } 1}$ per joint $=\mathrm{T}_{\text {ew }} / 17$

$$
=63,21 / 17=3,718
$$

$\mathrm{T}_{\mathrm{EW} 2} \quad=0,0012 \times \mathrm{Cw} \times \mathrm{Vw}^{2} \times \mathrm{Ab}$
$=0,0012 \times 1,2 \times 35^{2} \times 2$
$=3,528 \mathrm{kN}$


Figure 19. Input of wind load (Source: Planning Data)

## Pedestrian Expense

Workload:

$$
\begin{aligned}
\text { Curb area } & =40 \times 1 \\
& =40 \mathrm{~m}^{2}
\end{aligned}
$$

Getting on from the graph $=4 \mathrm{kPa}$


Figure 20. Pedestrian Input (Source: Planning Data)

## Brake Style

Workload:

$$
\begin{array}{ll}
\mathrm{q} & =9 \mathrm{kPa} \\
\mathrm{~TB} & =0,05 \times((\mathrm{q} \times \mathrm{L})+49) \times 7=143,2 \mathrm{kN}
\end{array}
$$



Figure 21. Brake force per lane 2.75 m (KBU)
(source: SNI T-02-200)
From the graph is obtained 100 kN The maximum is 143.2 kN
a. Number of Joints

| Girder | $=9$ |
| :--- | :--- |
| Stringger | $=5$ |
| Total joint | $=45$ |
| Intersection load | $=143,2 / 45$ |
|  | $=3,181$ |

$\mathrm{T}_{\text {EW2 }}$ per joint $\quad=3,528 \times 40$


Figure 22. Brake Style Input
(Source: Planning Data)

## Planning Dimensions of Main Main Profile

Main girder Is the main part of building construction above, which functions to forward all loads received by the upper building and forwarded to the lower building.

From the output of SAP 2000, the largest compressive axial force $\mathrm{Pu}=538729.1$ kg is obtained

Stem dimensions are tried using the WF.400.400.13.21 profile


Figure 23. Steel Profile WF.400.400.13.21
(Source: Planning Data)
Table 7. Steel profile data WF.400.400.13.21

| A | $218,7 \mathrm{~cm}^{2}$ | iy | $10,1 \mathrm{~cm}$ |
| :--- | :--- | :--- | :--- |
| Ix | $66600 \mathrm{~cm}^{4}$ | Zx | $3330 \mathrm{~cm}^{3}$ |
| Iy | $22400 \mathrm{~cm}^{4}$ | Zy | $1120 \mathrm{~cm}^{3}$ |
| ix | $17,5 \mathrm{~cm}$ |  |  |

(Source: PT. Gunung Garuda)
Calculating the Radiation of Giration (r)
$r x=\sqrt{\frac{I_{x}}{A_{g}}}=\sqrt{\frac{66600}{218,7}}=17,45 \mathrm{~cm}$
$\mathrm{ry}=\sqrt{\frac{I_{y_{y}}}{\mathrm{~A}_{\mathrm{g}}}}=\sqrt{\frac{22400}{218,7}}=10,12 \mathrm{~cm}$
Lean parameters ( $\lambda \mathrm{c}$ )
$\lambda_{c}=\frac{K . L}{r} \cdot \sqrt{\frac{F_{y}}{\pi^{2} E}}$
Where :
$\mathrm{K}=$ Factor of effective length $=0,7$

$$
\lambda c=\frac{0,7 \times 500}{10,12} \sqrt{\frac{4100}{3,14^{2} x\left(2,0 \times 10^{6}\right)}}=0,498 \mathrm{~cm}
$$

Calculate Critical cross section voltage (Fcr)
$\lambda \mathrm{c} \leq 1,5 \Rightarrow$ Fcr $=\left({ }^{0,658^{\lambda c^{2}}}\right)$. Fy
$\mathrm{Fcr}=\left(0,658^{(0,498)^{2}}\right) \times 4100$
$=3695,1075 \mathrm{~kg} / \mathrm{cm} 2$
$\mathrm{Pn}=\mathrm{Fcr} . \mathrm{Ag}$
Then : $\phi_{\mathrm{c}} \cdot \mathrm{P}_{\mathrm{n}} \geq \mathrm{P}_{\mathrm{u}}$
$0,85 \times 3695,107 \times 218,7 \geq 538729,13 \mathrm{~kg}$ $686902 \mathrm{~kg}>538729,13 \mathrm{~kg}$ (safe profile)

## Planning Diagonal Rod Dimensions

Planning Diagonal Rod Dimensions Press (Compression)

From the results of SAP 2000 output, the largest compressive axial force $\mathrm{Pu}=$ 275632.32 kg is obtained

Stem dimensions are tried using the WF.400.400.13.21 profile

Table 8. Profile of WF.400.400.13.21

| A | $218,7 \mathrm{~cm}^{2}$ | iy | $10,1 \mathrm{~cm}$ |
| :--- | :--- | :--- | :--- |
| Ix | $66600 \mathrm{~cm}^{4}$ | Zx | $3330 \mathrm{~cm}^{3}$ |
| Iy | $22400 \mathrm{~cm}^{4}$ | Zy | $1120 \mathrm{~cm}^{3}$ |
| ix | $17,5 \mathrm{~cm}$ |  |  |

(Source: PT. Gunung Garuda)


Figure 24. Profile of WF.400.400.13.21
(Source: Planning Data)
Calculating the Radiation of Giration (r)
$r x=\sqrt{\frac{I_{x}}{A_{\mathrm{g}}}}=\sqrt{\frac{66600}{218,7}}=17,45 \mathrm{~cm}$
$r y=\sqrt{\frac{I_{y_{y}}}{A_{g}}}=\sqrt{\frac{22400}{218,7}}=10,12 \mathrm{~cm}$
Lean parameters ( $\lambda \mathrm{c}$ )
$\lambda_{\mathrm{c}}=\frac{\mathrm{K} . \mathrm{L}}{\mathrm{r}} \cdot \sqrt{\frac{\mathrm{F}_{\mathrm{y}}}{\pi^{2} \mathrm{E}}}$
Where :
$\mathrm{K}=$ Factor of effective length $=0,7$
$\lambda c=\frac{0,7 \times 500}{10,12} \sqrt{\frac{4100}{3,14^{2} \times\left(2,0 \times 10^{6}\right)}}=0,498 \mathrm{~cm}$
Calculate Critical cross section voltage ( Fcr )
$\lambda \mathrm{c} \leq 1,5 \Rightarrow \mathrm{~F}_{\mathrm{cr}}=\left(0,658^{\lambda c^{2}}\right)$. Fy
$\mathrm{F}_{\mathrm{cr}}=\left(0,658^{(0,498)^{2}}\right) \times 4100=3695,107 \mathrm{~kg} / \mathrm{cm}^{2}$
$\mathrm{P}_{\mathrm{n}}=\mathrm{F}_{\mathrm{cr}} . \mathrm{Ag}$

Then : $\phi_{c} \cdot P_{n} \geq P_{u}$
$0,85 \times 3695,107 \times 218,7 \geq 275632,32 \mathrm{~kg}$
$686902 \mathrm{~kg}>275632,32 \mathrm{~kg}$ (safe profile)

## Planning the Wind Bond Dimension

a. Planning of compressive wind bond dimensions (Compression)
From the output of SAP 2000, the largest compressive axial force $\mathrm{Pu}=5328.78 \mathrm{~kg}$

Stem dimensions are tried using the WF.150.150.7.10 profile

Table 9. Profile of WF.150.150.7.10

| A | $40,14 \mathrm{~cm}^{2}$ | iy | $3,75 \mathrm{~cm}$ |  |
| :--- | :--- | :--- | :--- | :--- |
| Ix | $1640 \mathrm{~cm}^{4}$ | Zx | $218 \mathrm{~cm}^{3}$ |  |
| Iy | $563 \mathrm{~cm}^{4}$ | Zy | $75,1 \quad \mathrm{~cm}^{3}$ |  |
| ix | $6,39 \quad \mathrm{~cm}$ |  |  |  |
|  |  |  |  |  |

(Source: PT. Gunung Garuda)


Figure 25. Steel Profile WF.150.150.7.10 (Source: Planning Data)

Calculating the Radiation of Giration (r)
$r x=\sqrt{\frac{I_{X}}{A_{g}}}=\sqrt{\frac{1640}{41,14}}=6,3919 \mathrm{~cm}$
$r y=\sqrt{\frac{I_{y_{y}}}{A_{g}}}=\sqrt{\frac{563}{40,14}}=3,7451 \mathrm{~cm}$
Lean parameters ( $\lambda \mathrm{c}$ )
$\lambda_{c}=\frac{K . L}{r} \cdot \sqrt{\frac{F_{y}}{\pi^{2} E}}$
Where :
$\mathrm{K}=$ Factor of effective length $=0,7$
$\lambda c=\frac{0,7 \times 500}{3,74} \sqrt{\frac{4100}{3,14^{2} \times\left(2 \times 10^{6}\right)}}=1,34 \mathrm{~cm}$
Calculate Critical cross section voltage (Fcr)
$\lambda c \leq 1,5 \Rightarrow \mathrm{~F}_{\mathrm{cr}}=\left(0,658^{\lambda c^{2}}\right)$. Fy
$\mathrm{F}_{\mathrm{cr}}=\left(0,658^{(1,34)^{2}}\right) \mathrm{x} 4100=1918,8 \mathrm{~kg} / \mathrm{cm}^{2}$
$\mathrm{P}_{\mathrm{n}}=\mathrm{F}_{\mathrm{cr}} . \mathrm{Ag}$
Then: $\phi_{c} \cdot P_{n} \geq P_{u}$
$0,85 \times 1918,8 \times 40,14 \geq 5328,78 \mathrm{~kg}$ $65467,43 \mathrm{~kg}>5328,78 \mathrm{~kg}$ (safe profile)
b. Planning Dimensions of Diagonal Rods (Tension)
From the results of SAP 2000 output obtained the largest axial tensile force $\mathrm{Pu}=4939.2 \mathrm{~kg}$
Stem dimensions are tried using the WF.150.150.7.10 profile

Table 10. WF.150.150.7.10 profile

| A | $40,14 \mathrm{~cm}^{2}$ | iy | $3,75 \mathrm{~cm}$ |
| :---: | :---: | :---: | :---: |
| Ix | $1640 \mathrm{~cm}^{4}$ | Zx | $218 \mathrm{~cm}^{3}$ |
| Iy | $563 \mathrm{~cm}^{4}$ | Zy | $75,1 \mathrm{~cm}^{3}$ |
| ix | $6,39 \mathrm{~cm}$ |  |  |

(Source: PT. Gunung Garuda)


Figure 26. Steel Profile WF.150.150.7.10 (Source: Planning Data)

Check profile ratio:
Because the two elements (flanges) of the cross section are connected while the body elements are not connected, the profile is checked using the equation:

$$
\frac{\mathrm{bf}}{\mathrm{~d}} \geq 0,67
$$

Where :

$$
\begin{aligned}
& \mathrm{bf}=40 \\
& \mathrm{~d}=40 \\
& \frac{40}{40} \geq 0,67 \\
& 1>0,67
\end{aligned}
$$

The calculation of press rod dimensions includes:
Calculate nominal area
A325 bolts in diameter are used $=\mathrm{ft}=2.22 \mathrm{~cm}$
Bolt hole width $=1$ inch $=2.54 \mathrm{~cm}$
Nominal area of the plate:
$A \neg \mathrm{n}=40.14-(2.54 \times 1)=37.6 \mathrm{~cm}^{2}$
Plate net area (effective area of cross section) based on:
$\mathrm{Ac}=\mathrm{U} . \mathrm{An}$
Where:
$\mathrm{U}=$ the reduction coefficient whose value no more than $85 \%$
Then: $\mathrm{Ac}=\mathrm{U} . \mathrm{An}=0.85 \times 37.6=31.96 \mathrm{~cm}^{2}$
Strength control design
Based on the gross cross section:
Where :
$=$ Resistance factor for melting limit state ( 0.90 )
$\mathrm{Mr}=$ nominal strength of pull rod (kg)

Fy $=$ steel melting voltage $=4100 \mathrm{~kg} / \mathrm{cm}^{2}$
$\mathrm{Ag}=$ gross area cross section $=218.7 \mathrm{~cm}^{2}$
So: $\varphi_{t} T_{n}=\varphi_{t} F_{y} A_{g} \geq P_{u}$
$0.90 \times 4100 \times 40.14 \geq 4939.2 \mathrm{~kg}$ $148117 \mathrm{~kg} \geq 4939.2 \mathrm{~kg}$ (safe profile)
Based on a clean cross section
Where :
$\phi \mathrm{t}=$ Resistance factor for melting limit state (0.75)
$\mathrm{Mr}=$ nominal strength of pull rod $(\mathrm{kg})$
$\mathrm{Fu}=$ tensile strength of steel structure $=4900 \mathrm{~kg}$ $/ \mathrm{cm}^{2}$
Ac $=$ Effective net area between pull rod $=$ $181.36 \mathrm{~cm}^{2}$
so: $\phi_{t} \mathrm{~T}_{\mathrm{n}}=\phi_{\mathrm{t}} \mathrm{F}_{\mathrm{t}} \mathrm{A}_{\mathrm{c}} \geq \mathrm{Pu}$
$0.75 \times 4900 \times 181.36 \geq 4939.2 \mathrm{~kg}$
$666498 \mathrm{~kg}>4939.2 \mathrm{~kg}$ (safe profile) From the results of the two criteria above, a smaller design strength is taken, namely: $666498 \mathrm{~kg} \geq \mathrm{Pu}=$ 4939.2 kg

## 5. Connection Planning <br> 5.1 Stringger Connections with Transverse Girders



Figure 27. Stringer girder joint and transverse girder (Source: Planning Data)

A bolt A $325 \emptyset 5 / 8$ inch is used.
$\emptyset$ Bolt $=5 / 8$ inch $=1,588 \mathrm{~cm}$
Area $\mathrm{Ab}=1.981 \mathrm{~cm}^{2}$
Ø bolt hole $=\left(\frac{5}{8}+\frac{1}{8}\right)=$ inch $=1,905 \mathrm{~cm}$
Fub $=$ Bolt tensile strength $=120 \mathrm{ksi}=8274 \mathrm{~kg} /$ $\mathrm{cm}^{2}=1 \mathrm{ksi}=68.95 \mathrm{~kg} / \mathrm{cm}^{2}$

## Rod Joints in Main Fence



Figure 28. Stem Connections (Knot) in Main Fence (Source: Planning Data)
Connections to the frame use A325 high quality bolts.

Table 11. Data Bolts Used

| Material strength $\left(\mathrm{F}_{\mathrm{u}}{ }^{\mathrm{b}}\right)=$ <br> 120 ksi | $8274,000 \mathrm{~kg} / \mathrm{cm}^{2}$ |
| :--- | :--- |
| Tensile strength | $4654,125 \mathrm{~kg} / \mathrm{cm}^{2}$ |
| Shear strength | $2420,145 \mathrm{~kg} / \mathrm{cm}^{2}$ |
| Bolt Diameter $\left(\varnothing 7 / 8^{\prime \prime}\right)$ | $22,2 \mathrm{~mm}$ |
| Bolt Hole Diameter | $2,54 \mathrm{~cm}$ |
| Bolt Area $(\mathrm{Ab})$ | $3,869 \mathrm{~cm}^{2}$ |

### 5.2 Rod Joints on the Wind Bracing



Figure 29. Wind Bond Connection (Knot) (Source: Planning Data)

Connections to wind ties use high quality A325 bolts.

Table 12. Data Bolts Used

| Material strength $\left(\mathrm{F}_{\mathrm{u}}{ }^{\mathrm{b}}\right)=$ <br> 120 ksi | $8274,000 \mathrm{~kg} / \mathrm{cm}^{2}$ |
| :--- | :--- |
| Tensile strength | $4654,125 \mathrm{~kg} / \mathrm{cm}^{2}$ |
| Shear strength | $2420,145 \mathrm{~kg} / \mathrm{cm}^{2}$ |
| Bolt Diameter $\left(\varnothing 7 / 8^{\prime \prime}\right)$ | $22,2 \mathrm{~mm}$ |
| Bolt Hole Diameter | $2,54 \mathrm{~cm}$ |
| Bolt Area $(\mathrm{Ab})$ | $3,869 \mathrm{~cm}^{2}$ |



Figure 30. Side view
(Source: Planning Data)


Figure 30. Side view (Source: Planning Data)


Figure 32. Floor Plan for Upper Wind (Source: Planning Data)

## 6. Placement Planning

Ealstomers are planned based on vertical loads that work. From the results of calculations in SAP 2000 obtained the maximum vertical load on the bridge support of 366.75 tons. Use elastomer bearing production of PT. Main Ralico Rubber with dimensions of $350 \times 700$ mm with a maximum number of layers is 7 layers using a thickness of 12 mm per layer. This elastomeric dimension is able to withstand vertical loads so that it is 367.5 tons so that this dimension is safe for use in the bridge construction of this steel truss tray.


Figure 33. Elastomeric Bearings
(Source: http:
//www.bridgebearing.Org/bridgebearing/laminated-elastomeric-bearing-pad.html)

## 7. Conclusion

River Baki Bridge is designed for 40 meters. From the results of the analysis and calculation of bridge planning, there are some conclusions as follows.
a. Pipe Dimensions Backrest used is 60.5 mm for outside diameter and 57.30 for inner diameter.
b. The bridge floor plate thickness used is 200 mm .
c. The thickness of the sidewalk slab used is 250 mm .
d. The Transverse Fence Profile obtained from the calculation is a WF $700 \times 300 \times 13 \times 24$ profile.
e. The Stringer longated Fence Profile obtained from the calculation is the WF 600 x $200 \times 11 \times 17$ profile.
f. The Main Fence Profile obtained from the calculation is the WF $400 \times 400 \times 13 \times 21$ profile.
g. Wind Bracing Profile obtained from the calculation is WF profile $150 \times 150 \times 7 \times$ 10.

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